



CSIR-NET

Council of Scientific & Industrial Research

CHEMICAL SCIENCE

VOLUME - II

PHYSICAL CHEMISTRY



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Spectroscopy :-

→ An Instrumental Technique Through which we determine the structure of Org & Inorg. Compd, generally by using interaction of EMR w/ Matter (sample)

EMR :

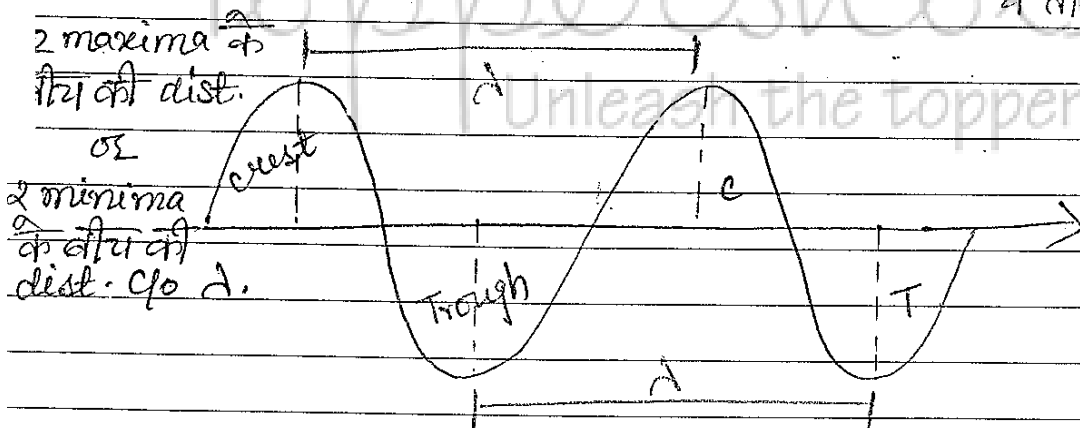
$$E = h\nu = \frac{hc}{\lambda} = hc\bar{\nu}$$

$$\bar{\nu} = \frac{1}{\lambda}$$

h → Planck's Const (6.6×10^{-34} Js)

λ → Wave length (m, cm, Å, nm, pm)

ν → freq. (Unit: - Hz / Cps / sec⁻¹) एक ही एकाई में ये तीनों का मतलब.



$\bar{\nu}$ → wave no. (m^{-1} , cm^{-1} , $Å^{-1}$, nm^{-1} , pm^{-1})
or Kaiser*

* $1cm^{-1} = 1$ Kaiser

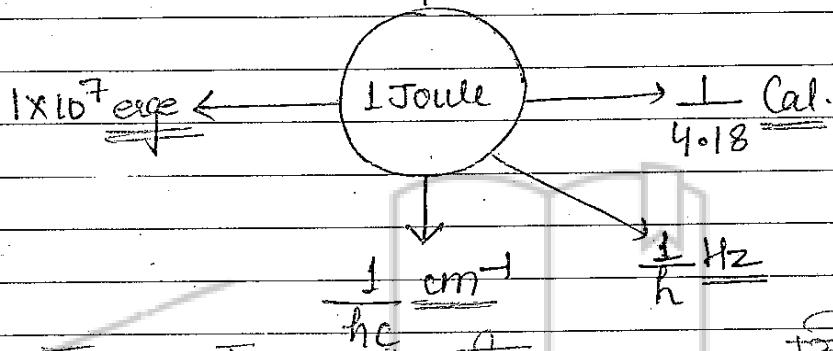
$$h \rightarrow 6.6 \times 10^{-34} \text{ Js}$$

$$c = 3 \times 10^8 \text{ m s}^{-1}$$

$$c = 3 \times 10^{10} \text{ cm s}^{-1}$$

$$\frac{1 \text{ Joule}}{1.6 \times 10^{-19} \text{ Coulomb}} = \text{eV}$$

$$\boxed{\text{Joule} = \frac{\text{Volt}}{\text{Coulomb}}}$$



$$\star \boxed{1 \text{ Cal} > 1 \text{ Joule} > 1 \text{ erg} > 1 \text{ eV} > 1 \text{ cm}^{-1} > 1 \text{ Hz}}$$

Q. Determine the Energy of a radiation have freq. $2 \times 10^3 \text{ cm}^{-1} (\bar{\nu})$, in Joule, erg, Cal.

$$2 \times 10^3 \times hc \text{ Joule}$$

$$E = hc\bar{\nu}$$

$$E = 6.6 \times 10^{-34} \text{ Js} \times 3 \times 10^{10} \text{ cm s}^{-1} \times 2 \times 10^3 \text{ cm}^{-1}$$

$$E = 39.6 \times 10^{-21} \text{ Joule.}$$

$$E = 39.6 \times 10^{-21} \times 1 \times 10^7 \text{ erg}$$

$$E = 39.6 \times 10^{-14} \text{ erg}$$

$$E = 39.6 \times 10^{-21} \times \frac{1}{4.18} \text{ Cal.}$$

$$E = 9.47 \times 10^{-21} \text{ Cal}$$

Range of EMR :- A R m ~~F~~ V U X ~~Y~~ rays.

Audiowaves < Radio waves < micro waves < IR < vis < UV.
 < X-rays < ~~Y-rays~~

↑ Inc Order of E (or) V (or) λ
 ↓ Inc Order of λ

EMR Region	Spectroscopic Tech:
① Radiowaves	NMR, NQR spectro.
② microwaves	ESR, Rot. spectro.
③ IR	vib. spectro., Rot-vib spectro.
④ Visible	visible spectro (colourimetry), Raman Spectro
⑤ UV	electronic spectro (U-V vis spectro) Raman spectro.
⑥ X-ray	X-ray techniques used in Crystallography
⑦ Y-rays	Moseley's Spectro.

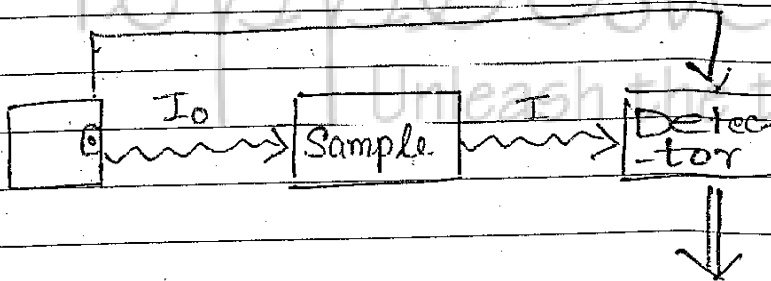
Interactⁿ of EMR & Matter :-

→ All absorption spectro. follow **Beer-Lambert's law**.
 i.e

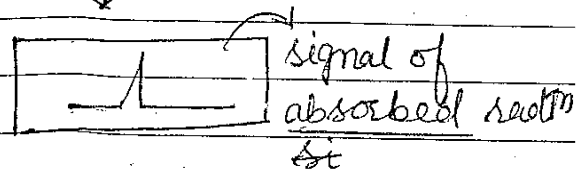
$$A = \epsilon cl = \log \frac{I_0}{I} = \log \frac{I_0}{T}$$

$$T = \frac{I}{I_0}$$

T → Transmittance
 A → Absorbance.
 c → conc.
 l → length
 I₀ → Intensity of incident radiatⁿ.
 I → " Transmitted "

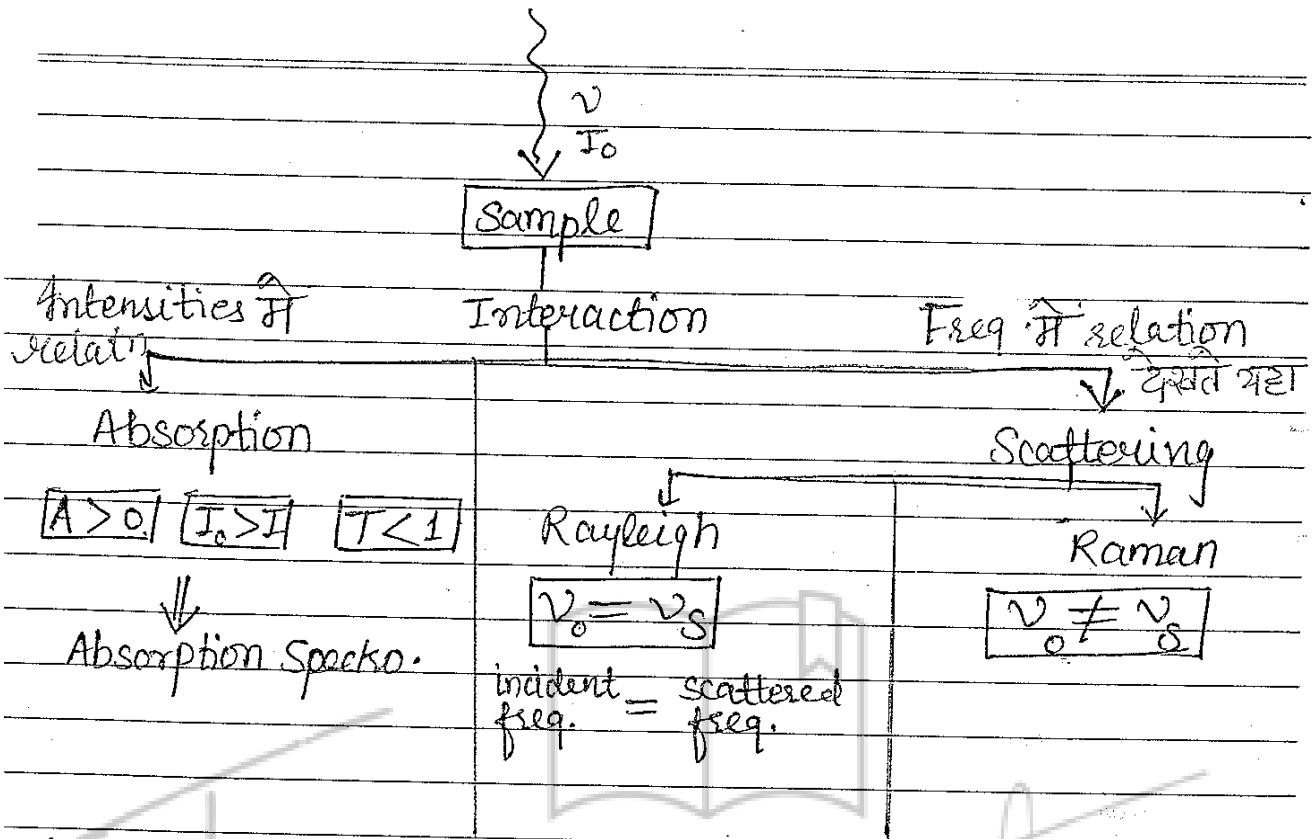


(Absorbance is like
 interactⁿ vtraat) $\frac{1}{\epsilon}$
 or signal nega.



→ For Absorbⁿ spectrum :-

* $A > 0$ (Zero) of $I_0 > I$ \Rightarrow $T < 1$



Molecular Energy:-

→ Acc. to Born Oppenheimer approxm, the Energy in a mc (gaseous or liq. state) is of following type:

- ① Electronic Energy (E_e)
 - ② Vibrational E (E_v)
 - ③ Rotational E (E_r) or (E_j)
 - ④ Translational E (E_t)
- (All are Independent of each other)

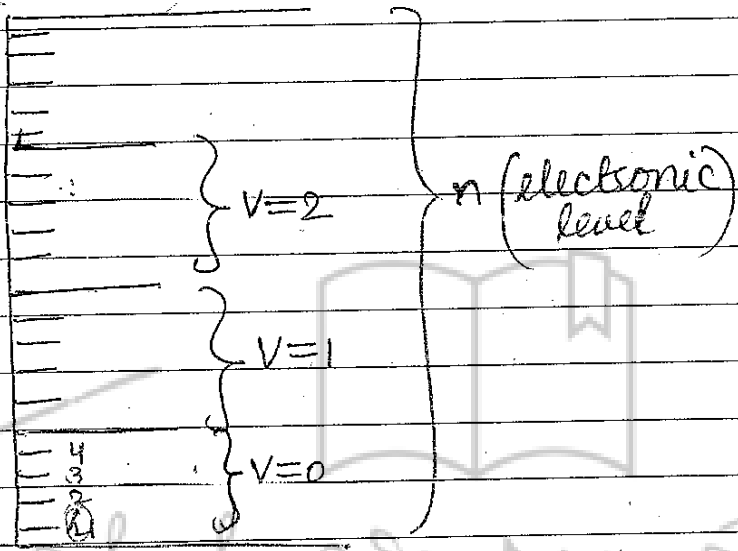
→ And acc. to them the Total E of mc is the sum of these Energies & these are Independent of each other

$$E_{\text{Total}} = E_e + E_v + E_r + E_t$$

$$E_e \gg E_v \gg E_r \gg E_t$$

→ The E_f is not quantised due to molecular collision factor so the total quantised Energy is as:-

$$E_{total} = E_e + E_s + E_v$$



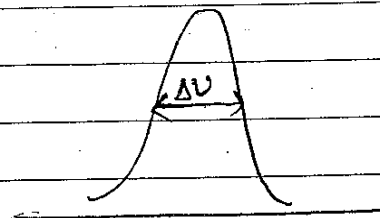
* Energy levels are discrete (fixed).

* ↑ Uncertainty ΔE → mltb lifetime of E_s ↓ & Vice-versa.

Uncertainty in Energy	$\Delta E \times \Delta t = \frac{h}{2\pi}$
lifetime	$\Delta \nu \times \Delta t = \frac{1}{2\pi}$

$$\Delta \nu = \frac{1}{2\pi \Delta t}$$

$\Delta \nu$ → Natural line width



Nuclear Magnetic Resonance

NMR :-

Region → Radiowave

- नीचे से ऊपर जाना → γ Reso.
- ऊपर से नीचे जाना → γ Relaxation.

↙ Nuclei

magnetic hona chahie

. & tbi hoga jab $I \neq 0$

↘ वही NMR denge.

Magnetic

Non-Magnetic

• $I \neq 0$

$I = 0$

Nuclear spin (I)

• NMR Active.

• NMR Inactive Nuclei.

→ Nuclei whose nuclear spin $I > 0$; can give NMR in suitable mag. field.

✗ Nuclei whose atomic no. & mass no. both are even have $I = 0$ & they are NMR Act Inactive.

eg: He⁽⁴⁾, C⁽¹²⁾, Ne⁽²⁰⁾, Mg⁽²⁴⁾, S⁽³²⁾, O⁽¹⁶⁾ → mass no.

(atomic & mass no Even $\frac{11}{3}$ $\frac{11}{3}$ $\frac{11}{3}$)
∴ NMR Inactive.

Proton Atomic No.	(neutron + Proton) Mass No.	Nuclear Spin (I)
even	even	$I = 0$ He ⁴ , C ¹² etc..... ²⁰ Ne, ²⁴ Mg, ³² S, ¹⁶ O
even	odd	} $I = \frac{1}{2}, \frac{3}{2}, \frac{5}{2}, \frac{7}{2}, \dots$ eg: N ¹⁵ , P ³¹ , B ¹¹ , H ¹ , ¹³ C, ¹⁹ F etc.....
odd	odd	

Atomic no.	Mass no.	(I)	(E _{spin})
odd	even	$I = 1, 2, 3, 4, \dots$	$^2\text{H}, ^{14}\text{N}, ^{10}\text{B} \dots$

magnetic Nuclei

Quadrupole (electron environ most Asym hona chahie)

$I \geq 1 \text{ or } I > \frac{1}{2}$

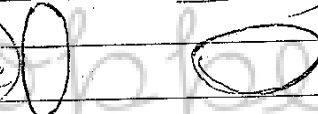
$^9\text{H}, ^{11}\text{B}, ^{14}\text{N}, ^{35}\text{Cl}, ^{37}\text{Cl}, ^{79}\text{Br}$

^{81}Br etc....

* Non-spherical shape

(either prolate or oblate)

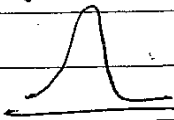
(egg shape
or disc shape)



Quadrupole moment $\neq 0$

Quadrupole nuclei (solid hona chahie, (liq or Gas or sol) or or signal dega

They give Broad signal in NMR

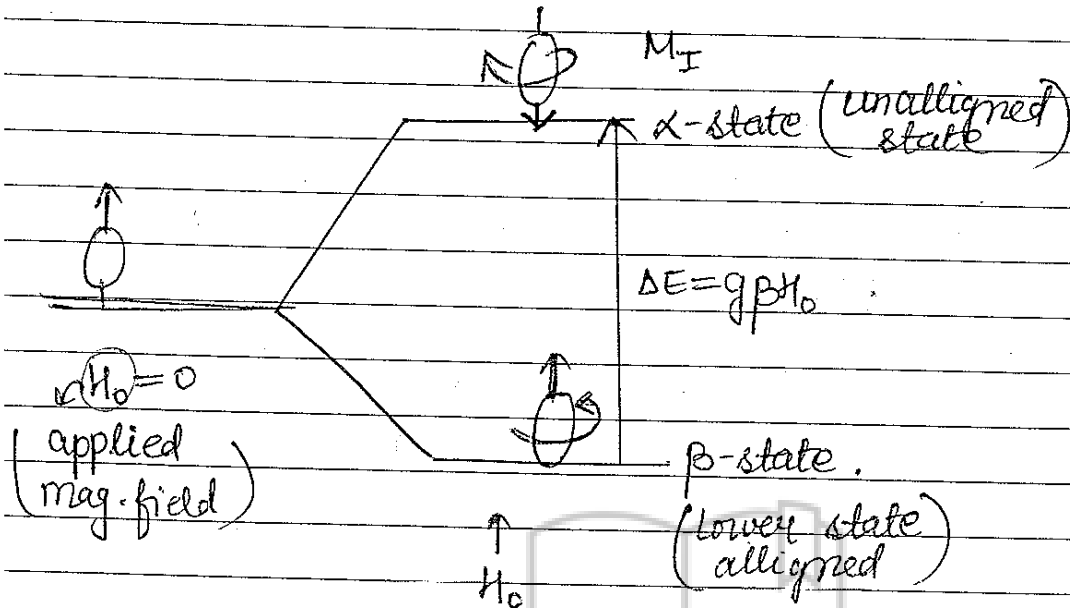


* In case of Quadrupole Nuclei, due to less relaxatⁿ time (Δt), the NMR signal will be broad & sometimes it will not appear.

signal width $\leftarrow \Delta \nu = \frac{1}{2T \cdot \Delta t}$

$\Delta t \rightarrow$ lifetime or relaxatⁿ time.

Nuclear Transition :-



$H_0 \uparrow \rightarrow \Delta E \uparrow$
 (App. mag. field) (separation of Energy levels)

$$\Delta E = g \beta H_0$$

→ The applied m.f. ↑ then the separation b/w 2 states ↑

$$\Delta E = h\nu = g\beta H_0$$

Reso. freq. ←

$$\nu = \frac{g\beta H_0}{h}$$

where g → Nuclear g -factor (unitless)
 β → gyromagnetic ratio.

$$g = 5.585 \text{ for } H_2 \text{ nuclei}$$

β → Nuclear Bohr magneton.

$$\beta = \frac{e\hbar}{2m_p} = 5.05 \times 10^{-27} \text{ J/Tesla}$$

(mass of proton)

$$1 \text{ Gauss} = 10^{-4} \text{ Tesla (T)}$$

$$\nu = \frac{g\beta H_0}{h}$$

$\left. \begin{array}{l} \text{freq. } (\nu) \rightarrow \text{Hz or MHz} \\ \text{Applied m.f. } (H_0) \rightarrow \text{Tesla or Gauss} \end{array} \right\} \begin{array}{l} \text{SI} \\ \text{CGS} \end{array}$

Q: Any spectrometer operates at 1 Tesla, the NMR freq of ^{19}F is 40.06 MHz. Cal the Magneto-gyric ratio (γ) of the Nuclei?

$$\gamma \hbar = g\beta$$

$$\left(\hbar = \frac{h}{2\pi} \right)$$

$$\nu = \frac{g\beta H_0}{h} = \frac{\gamma \hbar H_0}{h} = \frac{\gamma H_0}{2\pi}$$

$$40.06 = \frac{\gamma \cdot 1}{2\pi} \quad \star \quad \boxed{\gamma = \frac{2\pi \nu}{H_0} = \frac{\omega}{H_0}} \quad \star$$

$$\gamma = \frac{2 \times 3.14 \times 40.06 \times 10^6 \text{ s}^{-1}}{1 \text{ T}} \rightarrow \text{MHz to Hz}$$

$$\gamma = \text{T}^{-1} \text{s}^{-1}$$

Q: Cal Nuclear 'g' factor for ^{19}F Nuclei have a Magnetic operates at 1 Tesla & the reso freq is 40.06 MHz.

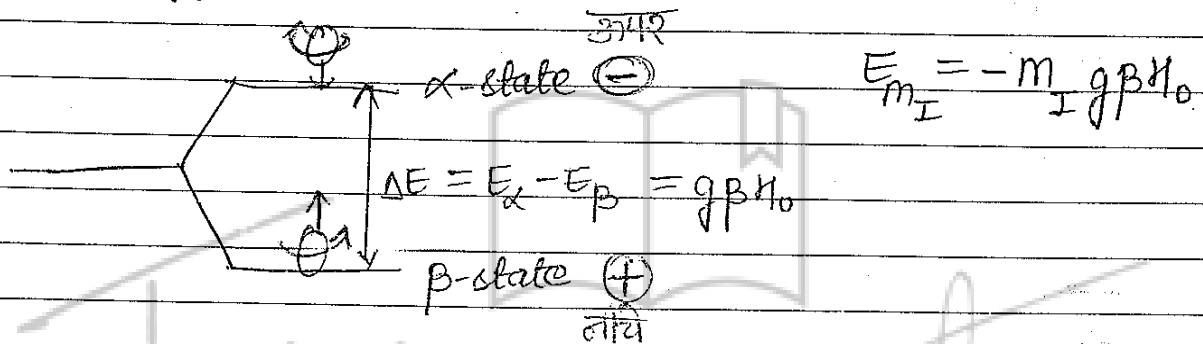
$$\left(\beta = 5.05 \times 10^{-27} \text{ JT}^{-1} \right)$$

$$\nu = \frac{g\beta H_0}{h} \Rightarrow 40.06 \times 10^6 \text{ s}^{-1} = \frac{g \times 5.05 \times 10^{-27} \text{ JT}^{-1} \times 1 \text{ T}}{6.6 \times 10^{-34} \text{ Js}}$$

$$g = \frac{h\nu}{\beta H_0} = \frac{6.6 \times 10^{-34} \text{ J s} \times 40.06 \times 10^8 \text{ s}^{-1}}{5.05 \times 10^{-27} \text{ J T}^{-1} \times 1 \text{ T}}$$

$$g = \frac{264.396 \times 10}{5.05} = \underline{\underline{523.5}}$$

Energy of Zeeman Level :-



Acc. to Boltzmann, the population in lower Zeeman level is slightly higher than upper Zeeman level i.e.

(lower level population) $N_\beta > N_\alpha$ (higher level population)
 & it is necessary for Nuclear reso. or transition.

Excess population $\Rightarrow \frac{N_\alpha}{N_\beta} = e^{\frac{-\Delta E}{kT}}$

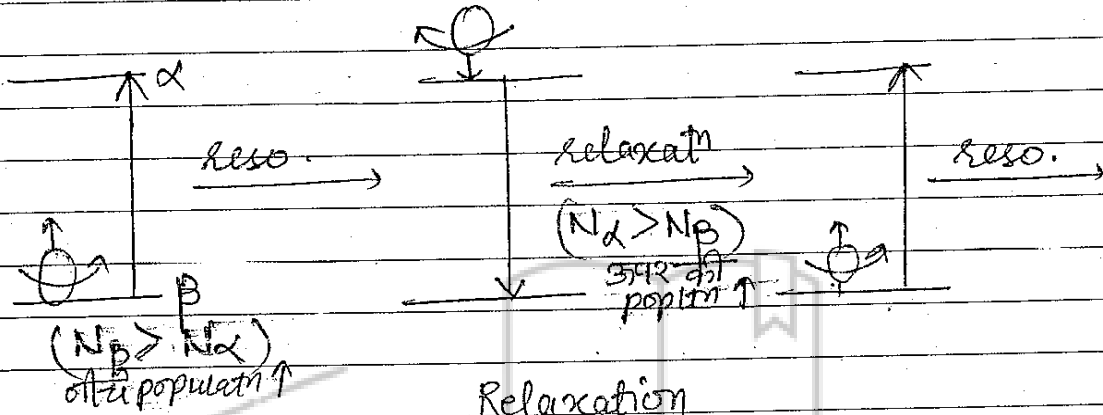
$\Delta E = g\beta H_0$

$\frac{N_\alpha}{N_\beta} \approx 1 - \frac{\gamma H_0 h}{2\pi kT}$

$\Delta E = g\beta H_0 = \frac{\gamma H_0 h}{2\pi}$

* $\hbar = 1.05 \times 10^{-34} \text{ JS}$ ($\delta - 1$ को Hz बायते है।)

i.e. For Resonance ; $\frac{N_\alpha}{N_\beta} < 1$



Relaxation

Spin-spin relaxation	Spin-lattice
↓ Denoted by T_2	↓ Denoted by T_1 .
→ It determines the natural line width in spectrum.	Lattice can define all kinds of aggregate atom or mc in the "soln" (solute or solvent mc).
→ Transfer of E to the processing Proton sample's proton VIT signal & $\frac{2E}{\hbar}$ (nuclei)	→ Transfer of E from EIS. proton to the surrounding lattice.

mathematical Relatn & Conditn for NMR:—

① Reso. freq $\nu = \frac{g\beta H_0}{h} = \frac{\gamma H_0}{2\pi} = \frac{\omega}{2\pi}$

(precessional freq.)

$\omega = 2\pi\nu = \gamma H_0$

(ω → Larmor freq. Precessional freq)

② Selection Rule : $\Delta m_I = \pm 1$

③ Nuclear g factor $g = 5.585$ (for H nuclei)

$$\beta = \frac{e\hbar}{2m_p} = 5.05 \times 10^{-27} \text{ JT}^{-1}$$

④ Magneto Gyric Ratio (γ)

$$\gamma = \frac{\mu}{I\hbar} \quad \text{Unit} \rightarrow \text{T}^{-1}\text{s}^{-1}$$

$$\gamma = \frac{2\pi\nu}{H_0}$$

$\mu \rightarrow$ Nuclear mag. moment. $\mu = \gamma P$

(momentum) $P = \frac{h}{2\pi} \sqrt{I(I+1)}$

$\mu = g\beta I$

$$\mu = \left(\frac{e\hbar}{2m} \sum \frac{g_i}{I_i} \right)$$

* $\gamma\hbar = g\beta$

* $\omega = 2\pi\nu = \gamma H_0$

Imp For 2 diff. nuclei (eg: H, ^{13}C)

$$\frac{\nu_H}{\nu^{13}\text{C}} = \frac{\gamma_H}{\gamma^{13}\text{C}} = \frac{g_H}{g^{13}\text{C}} \quad \text{if } (H_0 = \text{constant})$$

$$\frac{H_0(\text{H})}{H_0(^{13}\text{C})} = \frac{\gamma^{13}\text{C}}{\gamma_H} = \frac{g^{13}\text{C}}{g_H} \quad (\text{if } \nu = \text{const})$$

$$\left(\mu_N = \mu_N \text{ ही वीचत हे } \right)$$

Q: The mag. moment of ^{31}P nuclei is equals to $1.1305 \mu_N$ nuclear magneton. Cal the magnetogyric ratio (γ) & g-factor?

$$\beta = 5.05 \times 10^{-27} \text{ JT}^{-1}$$

$$\gamma = \frac{\mu}{I\hbar} = \frac{1.1305 \beta}{I\hbar}$$

$$\gamma = \frac{1.1305 \times 5.05 \times 10^{-27} \text{ JT}^{-1}}{1 \times 1.05 \times 10^{-34} \text{ Js}}$$

$$\gamma = 10.87 \times 10^7 \text{ T-s}^{-1}$$

$$g = \frac{\mu}{\beta I} = \frac{1.1305 \beta}{\beta I} = 1.1305 \times 2$$

$$g = 2.261$$

Q: Cal NMR freq. of Proton in a mag. field of intensity 1.4092 Tesla .

$$\left(\begin{array}{l} g_N = 5.585 \\ \mu_N = 5.05 \times 10^{-27} \text{ JT}^{-1} \end{array} \right)$$

$$\nu = \frac{g \beta H_0}{h} = \frac{g \mu_N H_0}{h}$$

$$\nu = \frac{5.585 \times 5.05 \times 10^{-27} \text{ JT}^{-1} \times 1.4092 \text{ T}}{6.6 \times 10^{-34} \text{ Js}}$$

Q. In a NMR spectrometer operates at 30.256 MHz. Cal the Mag. field required to reso. for proton nuclei & for ^{13}C nuclei. Given:-

$$\mu(\text{H}^+) = 2.7927 \beta$$

$$\mu(^{13}\text{C}) = 0.7022 \beta$$

Solⁿ

$$\nu = \frac{g\beta H_0}{h} \quad ; \quad (\mu = g\beta I)$$

$$\nu = \frac{\mu H_0}{Ih} \quad \left(g\beta = \frac{\mu}{I} \right) \quad \nu \propto g$$

I

For H^+

$$H_0 = \frac{\nu I h}{\mu} = \frac{30.256 \times 10^6 \text{ s}^{-1} \times 1 \times 6.6 \times 10^{-34} \text{ JS}}{2.7927 \beta}$$

$$H_0(\text{H}^+) = \frac{30.256 \times 10^6 \text{ s}^{-1} \times 1 \times 6.6 \times 10^{-34} \text{ JS}}{2.7927 \times 5.05 \times 10^{-27} \text{ JT}^{-1}}$$

$$(\text{H}^+) H_0 = \underline{\underline{0.71 \text{ Tesla}}}$$

II

Here $\nu = \text{constant} \frac{1}{\epsilon}$

$$H_0 \propto \frac{1}{\mu} \quad (\text{when } \nu \rightarrow \text{const})$$

$$H_0(^{13}\text{C}) = \frac{30.256 \times 10^6 \text{ s}^{-1} \times 1 \times 6.6 \times 10^{-34} \text{ JS}}{2}$$

$$0.7022 \times 5.05 \times 10^{-27} \text{ JT}^{-1}$$