

**IES / GATE**

---

**Electrical Engineering**

**VOLUME-VIII**

**Power System-I**

# CONTENT

|                                      |            |
|--------------------------------------|------------|
| <b>1. Transmission</b>               | <b>22</b>  |
| <b>2. Traveling wave</b>             | <b>103</b> |
| <b>3. Capicitance</b>                | <b>140</b> |
| <b>4. Power cables</b>               | <b>170</b> |
| <b>5. Switch gear and Protection</b> | <b>193</b> |
| <b>6. Circuit breaker</b>            | <b>203</b> |

## POWER SYSTEM

### i) Transmission

Basics

voltage / Reactive power control

TL parameters

TL performance

Travelling waves

Corona

Cables

Insulators

Distribution

### ii) Economic Factors

Economic load dispatch

power generation methods

load frequency control

### iii) Fault analysis

### iv) Stability

### v) Switch Gear and protection

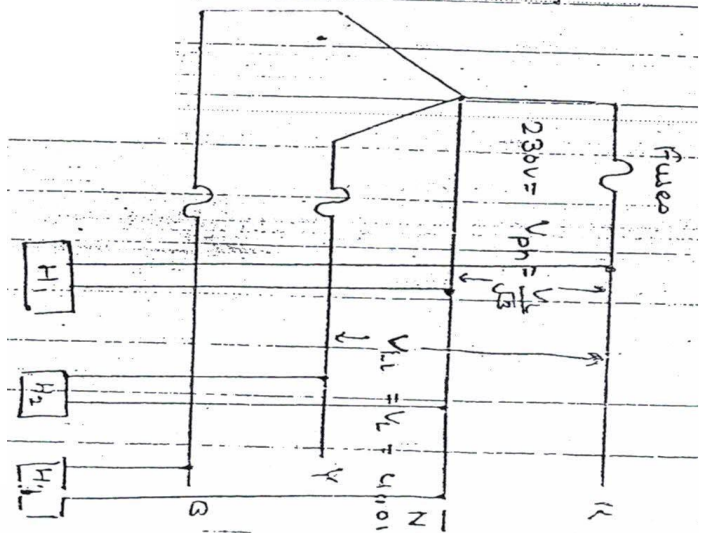
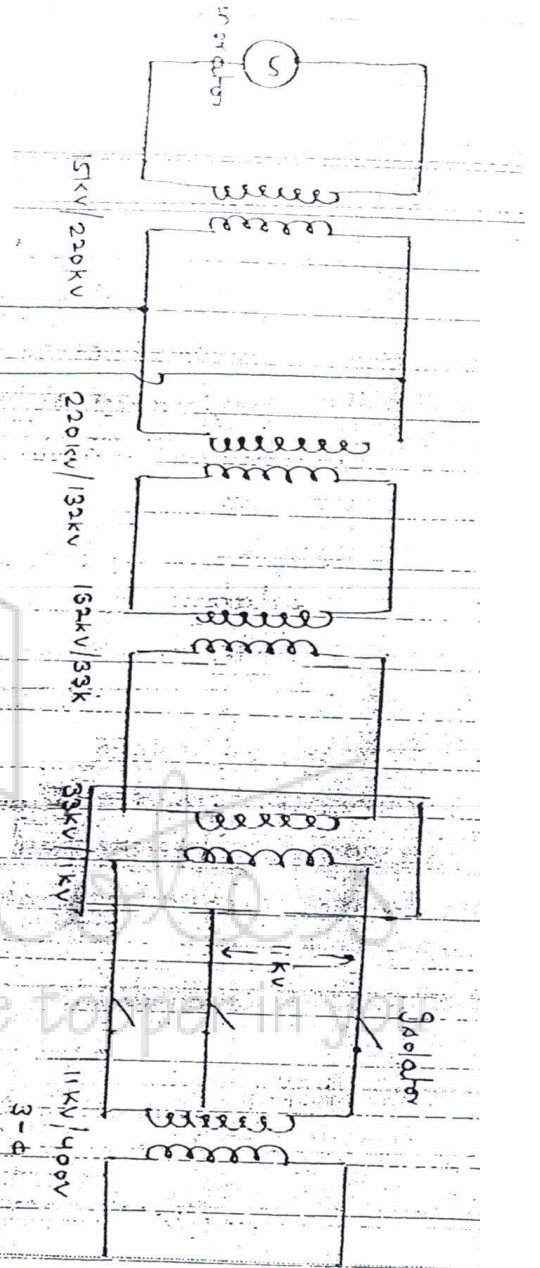
### vi) HVDC

#### Text books

1) C.L. Wadhwa

2) Nagraj & Kothari

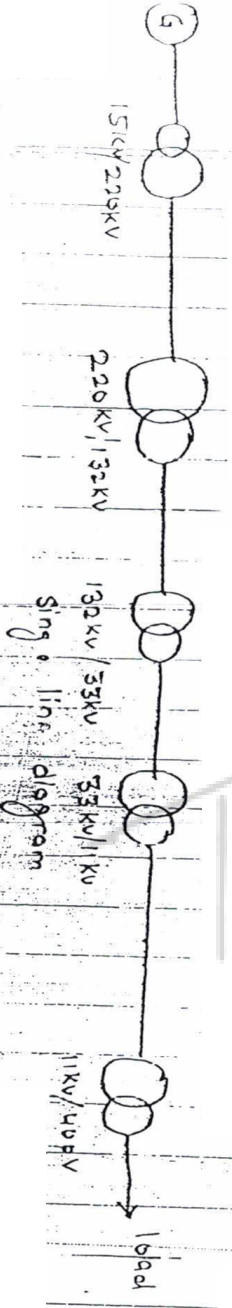
3) Stevenson



Generator

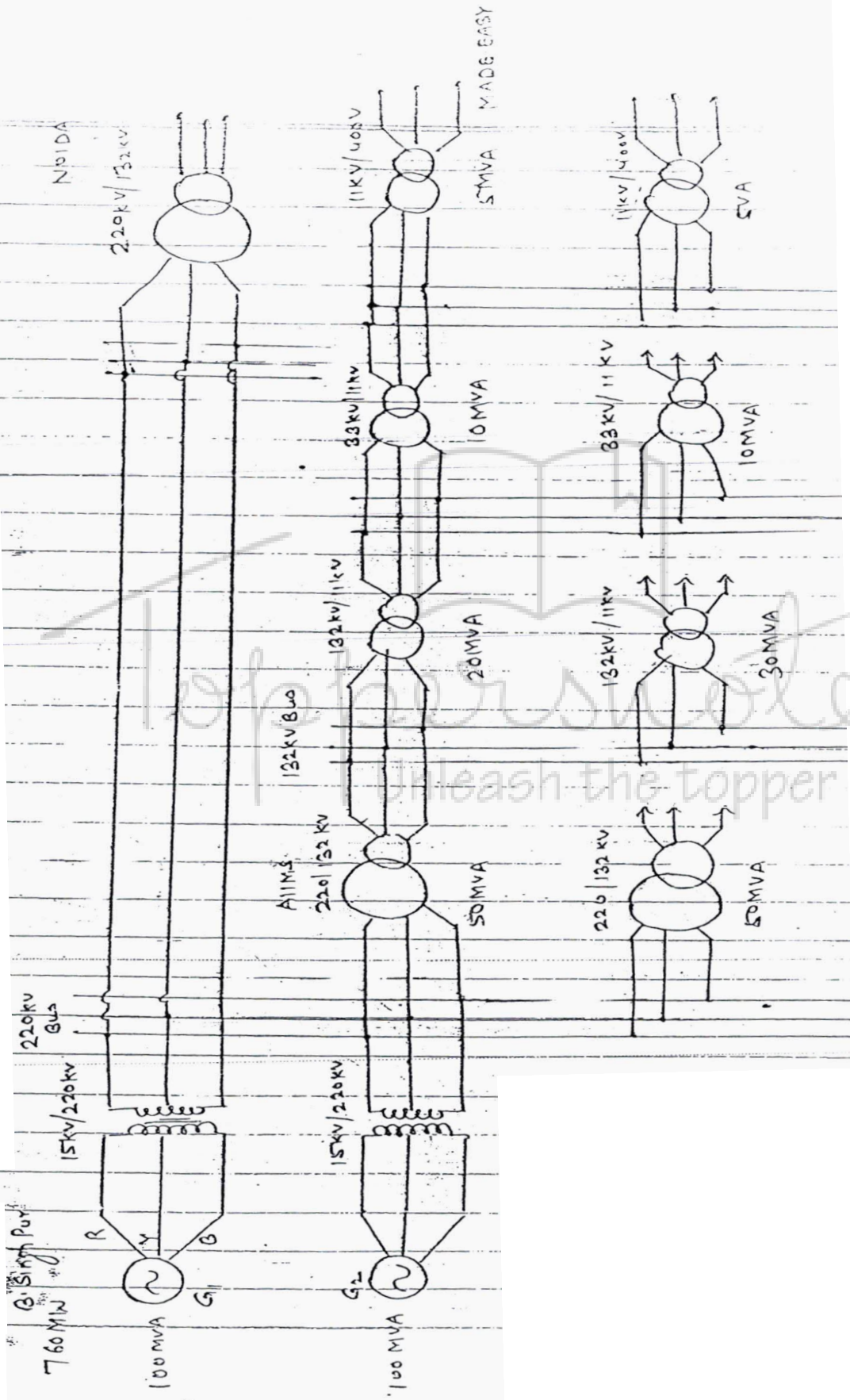
Action

Distribution



Sing. line diagram

1000

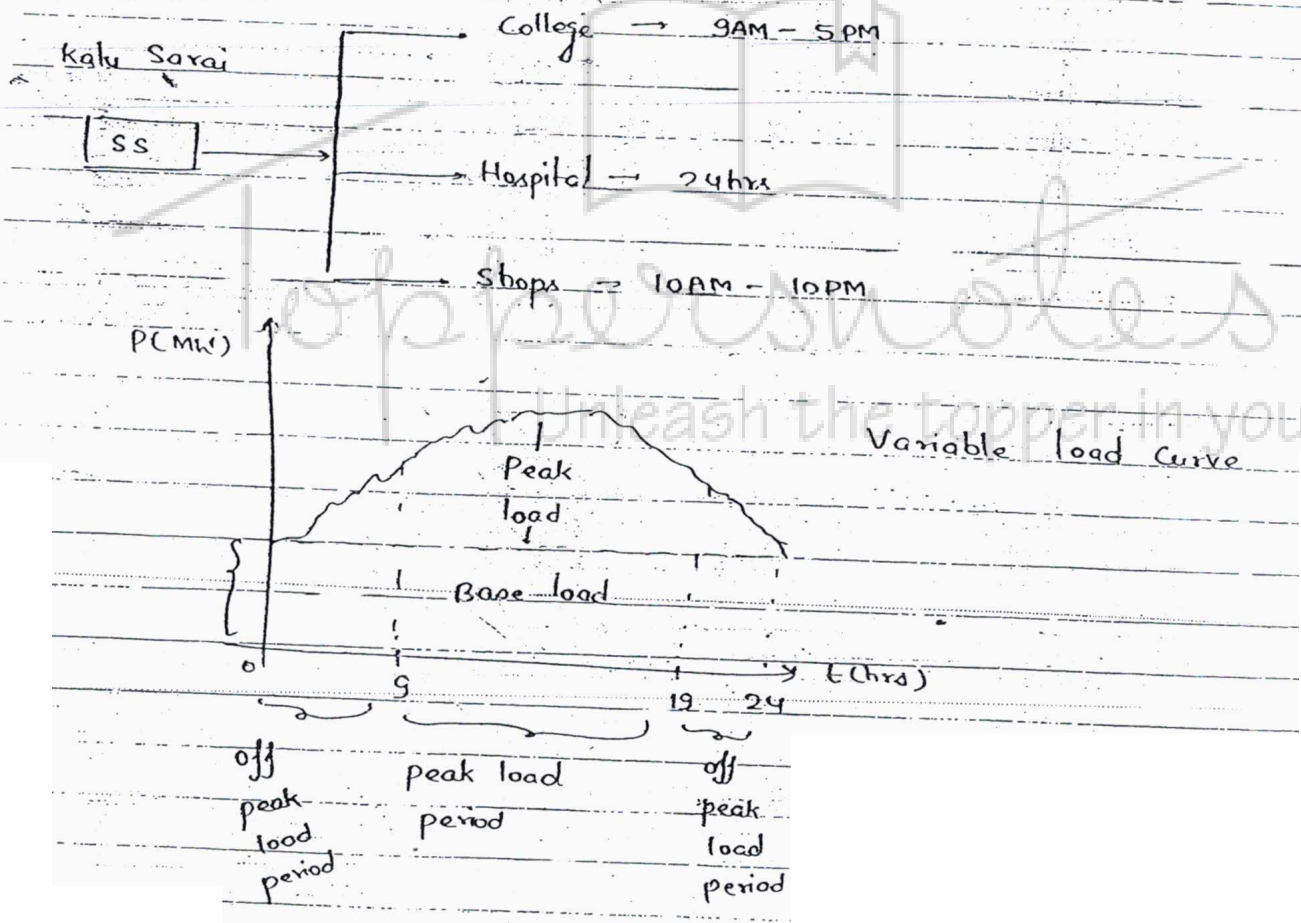




Bus bar is a common potential point

Objectives of Power System →

- The cost of electrical energy per kWhr (1 unit) must be minimum.
- Economic factors
- Economic load dispatch
- Power generation method



Base load Generating stations -

- 1) Thermal
- 2) Nuclear
- 3) Hydro
- 4) Run of river
- 5) Solar
- 6) Wind

Peak load Generating stations -

- 1) Pumped storage plant
- 2) Hydro
- 3) Gas
- 4) Diesel

Advantages of peak load generating station -

Operating time from no load to peak load is very less. (5 - 10 minutes)

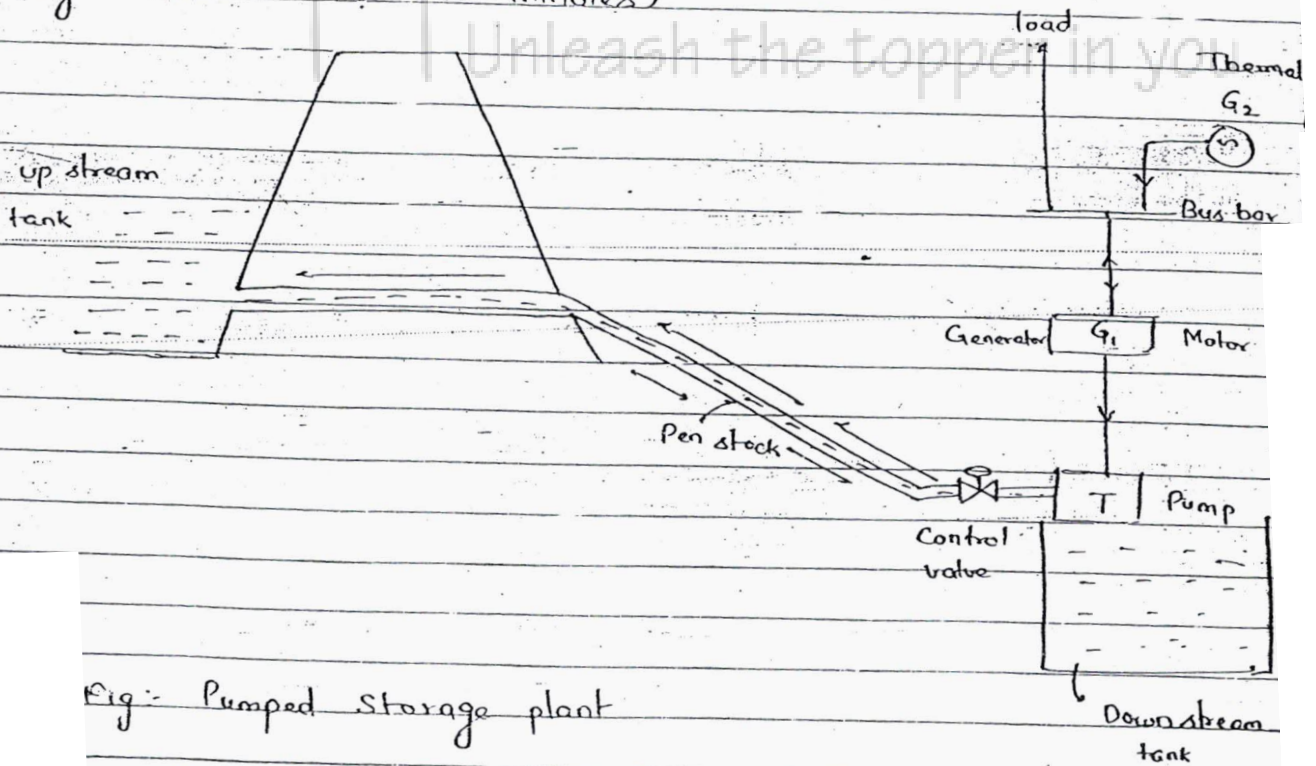
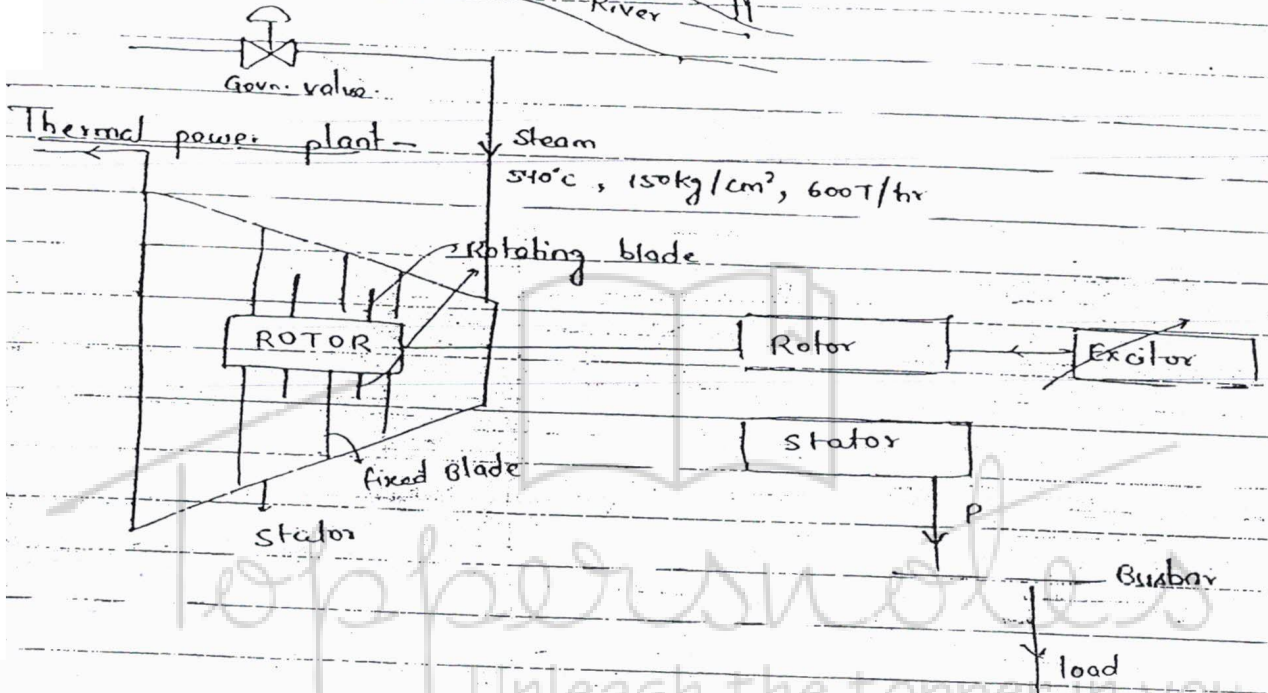
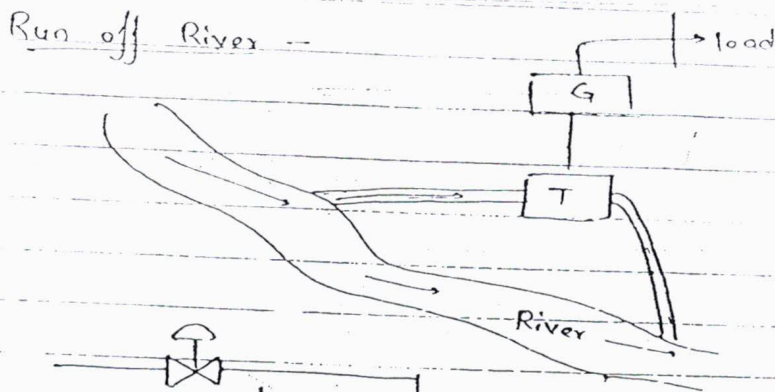
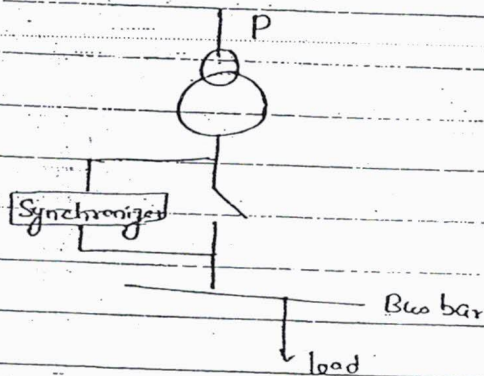


Fig: Pumped storage plant



Turbine metal temperature is the main problem in the thermal and nuclear power plant and it must increase slowly for the safe operation of the turbine.





Cold Start up  $\rightarrow$

\*  $T < 100^{\circ}\text{C} \Rightarrow 8 \text{ to } 10 \text{ hrs}$

$T \rightarrow$  turbine metal temperature

Warm Start up  $\rightarrow$

\*  $100^{\circ}\text{C} < T < 300^{\circ}\text{C} \Rightarrow 4 \text{ to } 6 \text{ hrs}$

Hot start up  $\rightarrow$

\*  $T > 300^{\circ}\text{C} \Rightarrow 2 \text{ to } 3 \text{ hrs.} *$

At the generating transformer we must check the following parameters

1) voltage level  $\rightarrow$  the voltage must be equal to the rated voltage. If there is any mismatch then we correct it by the help of excitor.

2) Frequency  $\rightarrow$  The frequency mismatch is there then we increase the steam so the speed of turbine will  $\uparrow \Rightarrow$  frequency will  $\uparrow$ .

3) Phase sequence.

Due to turbine metal temperature constraint thermal and nuclear plants are used as a base load plants.

### # Plant load Factor →

$$P_{LF} = \frac{P_{avg.}}{P_{max.}}$$

$$= \frac{P_{avg.} \times t}{P_{max} \times t}$$

= Area under load Curve  
 (Rectangular Area corresponding to  $P_{max}$ )

Practically  $P_{LF} < 1$   
 Ideally  $P_{LF} = 1$

### # Plant Capacity Factor ( $P_{CF}$ )

$$P_{CF} = \frac{P_{avg}}{P_c}$$

$P_c$  → Plant capacity

$P_{CF} = \frac{\text{Avg. Energy in Total hours}}{\text{Energy able to produce in total hrs as per } P_c}$

$$[P_{CF} < 1]$$

### # Plant Usage factor → ( $P_{UF}$ )

$P_{UF} = \frac{\text{Avg. Energy in used hours}}{\text{(Energy able to produce in used hours as per } P_c)}$

$$[P_{UF} < 1]$$

# Utilization Factor ( $U_f$ ) →

$$U_f = \frac{P_{max}}{P_c} \quad [U_f \leq 1]$$

# Reverse capacity factor → ( $R_c$ )

$$R_c = P_c - P_{max}$$

$$= P_{max} \left[ \frac{P_c}{P_{max}} - 1 \right]$$

$$= P_{max} \left[ \frac{P_{avg}}{P_{max} \cdot P_{cf}} - 1 \right]$$

$$R_c = P_{max} \left[ \frac{P_{cf}}{P_{cf}} - 1 \right]$$

# Demand Factor → ( $D_f$ )

$$D_f = \left( \frac{\text{Sum of Connected load}}{P_{max}} \right)^{-1} = \frac{P_{max}}{\text{Sum of Connected load}}$$

$$[D_f < 1]$$

# Diversity Factor → ( $Div_f$ )

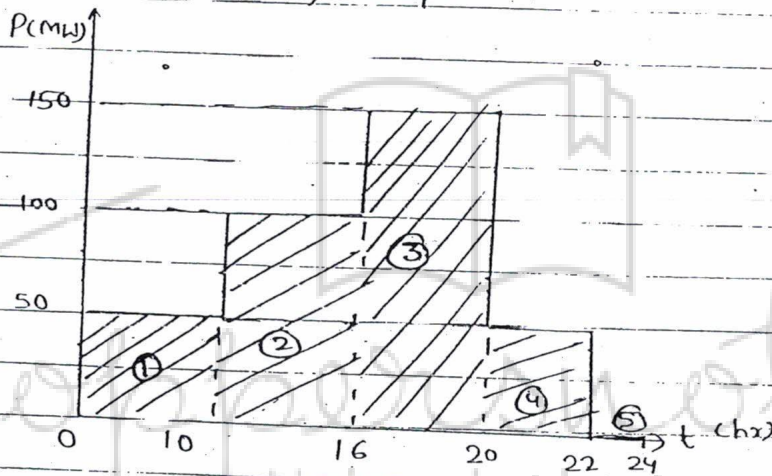
$$(Div)_f = \frac{\text{Sum of Individual max demand}}{P_{max}}$$

$$[Div_f > 1]$$

Q. A power generating station has a plant capacity of 200 MW. The power delivered by the station to the consumer is given by the load curve.

Calculate

- |              |                     |
|--------------|---------------------|
| 1) $P_{max}$ | 5) $P_{cf}$         |
| 2) $P_c$     | 6) $P_{uf}$         |
| 3) $P_{avg}$ | 7) Reserve capacity |
| 4) $P_{lf}$  | 8) $U_f$            |



Sol<sup>n</sup> ①  $P_{max} = 150 \text{ MW}$

②  $P_c = 200 \text{ MW}$

③ 
$$P_{avg} = \frac{50 \times 10 + 100 \times 6 + 150 \times 4 + 50 \times 2 + 0 \times 2}{24}$$

$$= 75 \text{ MW}$$

④ 
$$P_{lf} = \frac{P_{avg}}{P_{max}} = \frac{75}{150} = 0.5 < 1$$

or 
$$P_{lf} = \frac{P_{avg} \times 24}{P_{max} \times 24} = \frac{1800}{150 \times 24} = 0.5$$



$$\textcircled{5} \quad P_{cf} = \frac{P_{avg}}{P_c} = \frac{75}{200} = 0.375 < 1$$

Or

$$P_{cf} = \frac{1800}{200 \times 24} = 0.375$$

↓  
Total hours

$$\textcircled{6} \quad P_{uf} = \frac{1800}{200 \times 22} = 0.409 < 1$$

↓  
used hours

$$\textcircled{7} \quad P_c = P_e - P_{max} = 200 - 150 = 50 \text{ MW}$$

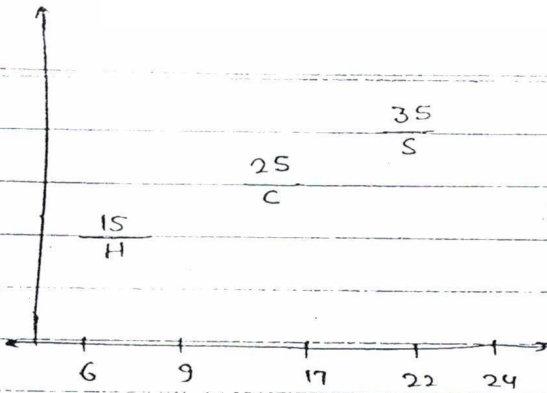
Or

$$P_c = P_{max} \left[ \frac{P_{uf}}{P_{cf}} - 1 \right]$$

$$= 150 \left[ \frac{0.5}{0.375} - 1 \right] = 50 \text{ MW}$$

$$\textcircled{8} \quad U_f = \frac{P_{max}}{P_c} = \frac{150}{200} = 0.75 < 1$$

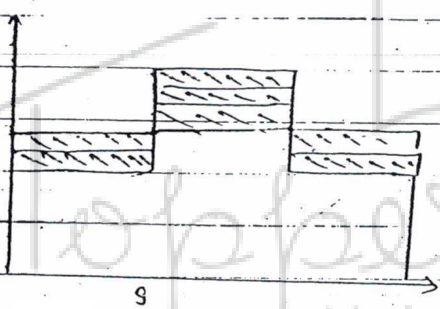
|    |                         | Connected load           | Individual max. demand   |
|----|-------------------------|--------------------------|--------------------------|
| SS | Hospitals (H) → 24 hrs  | 20                       | 15                       |
|    | Colleges (C) → 9 to 5pm | 30                       | 25                       |
|    | Shops (S) → 10 to 10pm  | 40                       | 35                       |
|    |                         | $\Sigma = 90 \text{ kW}$ | $\Sigma = 75 \text{ kW}$ |



let  $P_{max} = 60 \text{ KW}$

$$D_f = \frac{60}{90} < 1 \quad (\text{Demand factor})$$

$$Div_f = \frac{75}{60} > 1 \quad (\text{Diversity factor})$$



$P (MW)$

$$P_{cf} = 1$$

24 t

$$P_{cf} \uparrow = \frac{P_{avg}}{P_{max} \downarrow}$$

$$(Div)_f \uparrow = \frac{\sum \text{Individual max. demand}}{\downarrow P_{max}}$$

# Methods to improving high  $P_{cf}$  and Diversity factor  $\rightarrow$   
 $P_{cf} \geq 1$  and  $(Div)_f > 1$  is always preferred so that the max. demand is reduced and hence the initial investment on equipments like generators, transformers, TL is minimized which reduces the overall cost of electrical energy.

① By providing subsidy to the industries to running their equipments during off peak load period.

$$Q_R = \left| \frac{V_s \cdot V_R}{B} \right| \sin(\beta - \delta) - \left| \frac{AV_R^2}{B} \right| \sin(\beta - \alpha) \quad \text{--- (5)}$$

Sending end power

$$I_s = CV_R + DI_R$$

substitute (1) in (6)

$$\begin{aligned}
 I_s &= CV_R + D \left( \frac{V_s}{B} - \frac{AV_R}{B} \right) \\
 &= \frac{DV_s}{B} + \left( \frac{BC - AD}{B} \right) V_R
 \end{aligned}$$

$$I_s = \frac{|D| L \alpha}{|B| / \beta} |V_s| L \delta - \frac{|V_R| L \alpha}{|B| / \beta}$$

$$I_s = \left| \frac{DV_s}{B} \right| / \alpha + \delta - \beta - \left| \frac{V_R}{B} \right| / \beta$$

$$I_s^k = \left| \frac{DV_s}{B} \right| / \beta - \alpha - \delta - \left| \frac{V_R}{B} \right| / \beta \quad \text{--- (7)}$$

$$S_s = P_s + jQ_s = V_s I_s^k = |V_s| L \delta I_s^k \quad \text{--- (8)}$$

substitute (7) in (8) and separate real and img terms

\*\*\*

$$P_s = \frac{DV_s^2}{B} \cos(\beta - \alpha) - \frac{V_s \cdot V_R}{B} \cos(\beta + \delta) \quad \text{--- (9)}$$

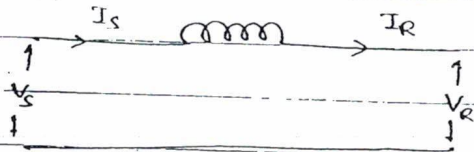
$$Q_s = \frac{DV_s^2}{B} \sin(\beta - \alpha) - \frac{V_s \cdot V_R}{B} \sin(\beta + \delta) \quad \text{--- (10)}$$



\* Equations (4), (5), (9) & (10) are applicable to short, medium and long transmission lines.

# Short transmission line -

Assume  $R \ll X_L$



$$\begin{bmatrix} V_s \\ I_s \end{bmatrix} = \begin{bmatrix} 1 & jX_L \\ 0 & 1 \end{bmatrix} \begin{bmatrix} V_R \\ I_R \end{bmatrix}$$

$$\left. \begin{aligned} |A| \angle \alpha &= |D| \angle \alpha = 1 \angle 0^\circ \\ |B| \angle \beta &= X_L \angle 90^\circ \\ C &= 0 \end{aligned} \right\} \text{--- (11)}$$

substitute (11) in (4), (5), (9) & (10)

$$P_R = \left| \frac{V_s \cdot V_R}{B} \right| \cos(\beta - \delta) - \left| \frac{AV_R^2}{B} \right| \cos(\beta - \alpha)$$

$$= \left| \frac{V_s \cdot V_R}{X_L} \right| \cos(90^\circ - \delta) - \left| \frac{1 \times V_R^2}{X_L} \right| \cos(90^\circ - 0)$$

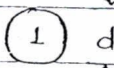
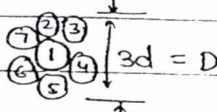
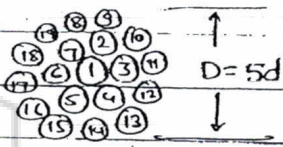
$$P_R = \left| \frac{V_s \cdot V_R}{X_L} \right| \sin \delta - P_c$$

$$Q_R = \left| \frac{V_s \cdot V_R}{X_L} \right| \cos \delta - \left| \frac{V_R^2}{X_L} \right|$$

valid for short TL  
having only  $X_L$ .

$$Q_S = \left| \frac{V_s^2}{X_L} \right| - \left| \frac{V_s \cdot V_R}{X_L} \right| \cos \delta$$



| x | N  | D  | Arrangement   |
|---|----|----|---|
| 1 | 1  | d  |  |
| 2 | 7  | 3d |  |
| 3 | 19 | 5d |   |

### # Classification of Transmission lines

- 1) Short Transmission line  $l < 80 \text{ km}$   $lf = 4000$
- 2) Medium Transmission line  $80 \leq l \leq 200 \text{ km}$   $4000 \leq lf \leq 10,000$
- 3) long Transmission line  $l > 200 \text{ km}$   $lf > 10,000$

e.g;  $l = 80 \text{ km}$ ,  $f = 50 \text{ Hz}$   
 $lf = 80 \times 50 = 4000$

Q. A 20 km transmission line is excited by the following frequency

- a) 50 Hz
- b) 5 kHz
- c) 300 kHz

Find the type of line?

- Sol<sup>n</sup> a)  $Lf = 20 \times 50 = 1000$  (short T.L)
- b)  $Lf = 5 \times 10^3 \times 20 = 100000$  (long TL)
- c)  $Lf = 20 \times 300 = 6000$  (Medium TL)